

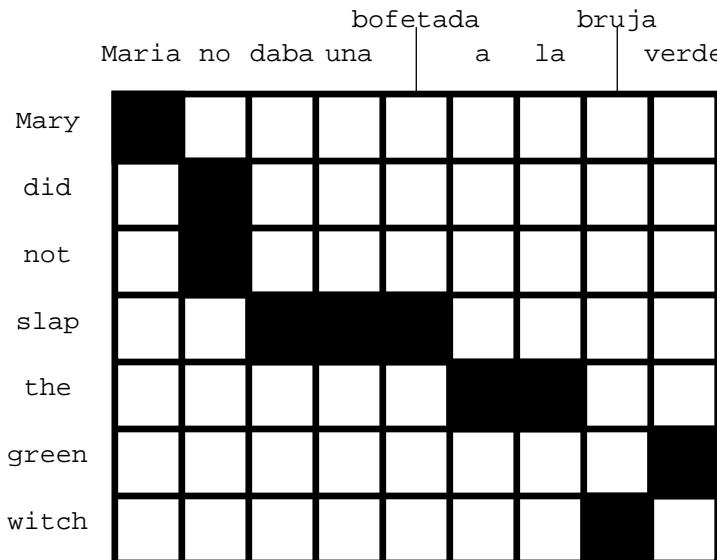


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Phrase-based models

Word alignment

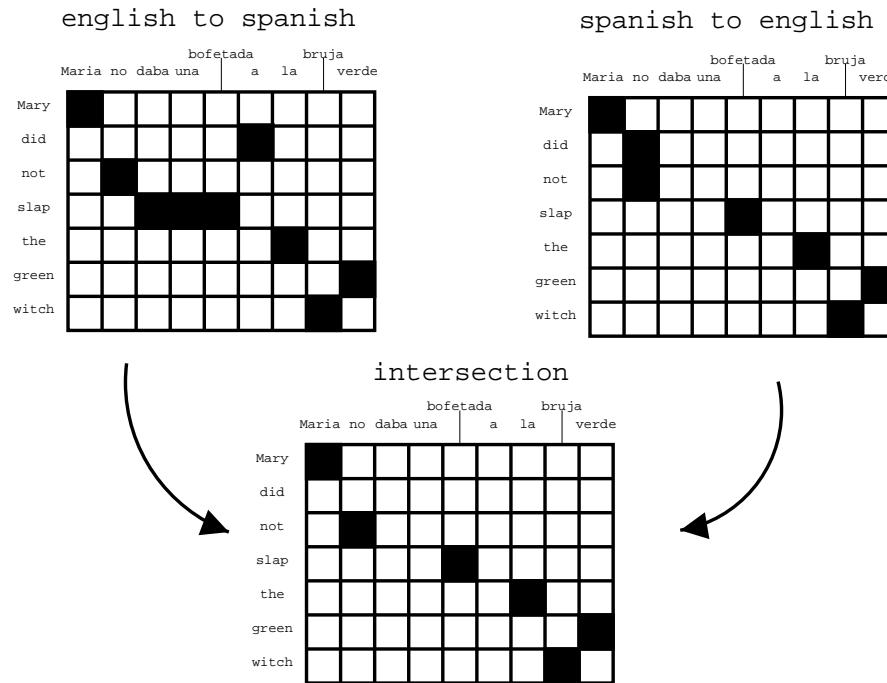
- Notion of **word alignment** valuable
- Shared task at NAACL 2003 and ACL 2005 workshops



Word alignment with IBM models

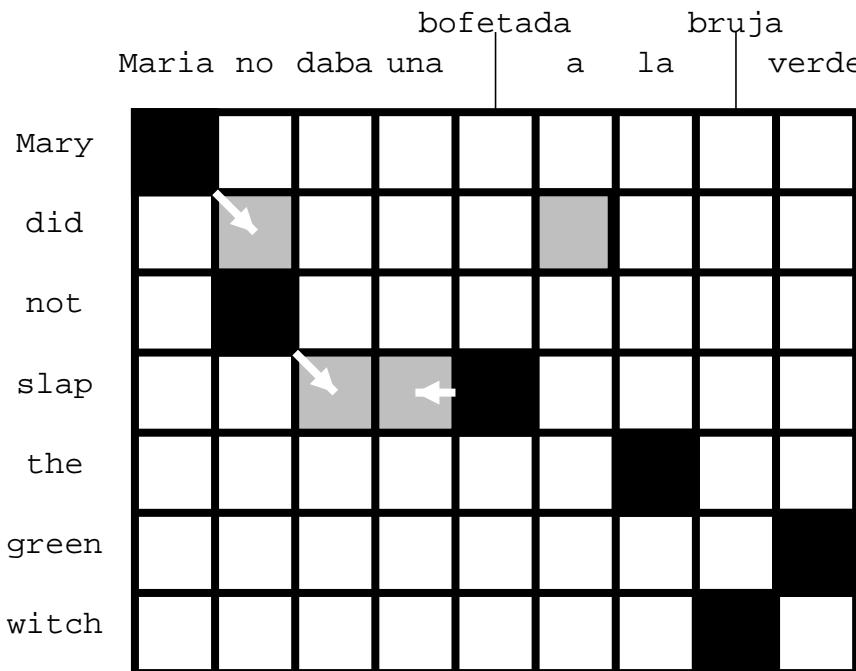
- IBM Models create a *many-to-one* mapping
 - words are aligned using an **alignment function**
 - a function may return the same value for different input (one-to-many mapping)
 - a function can not return multiple values for one input (*no many-to-one* mapping)
- But we need *many-to-many* mappings

Symmetrizing word alignments



- *Intersection* of GIZA++ bidirectional alignments

Symmetrizing word alignments



- *Grow* additional alignment points [Och and Ney, CompLing2003]



Growing heuristic

GROW-DIAG-FINAL($e2f, f2e$):

```
neighboring = ((-1,0),(0,-1),(1,0),(0,1),(-1,-1),(-1,1),(1,-1),(1,1))
alignment = intersect( $e2f, f2e$ );
GROW-DIAG(); FINAL( $e2f$ ); FINAL( $f2e$ );
```

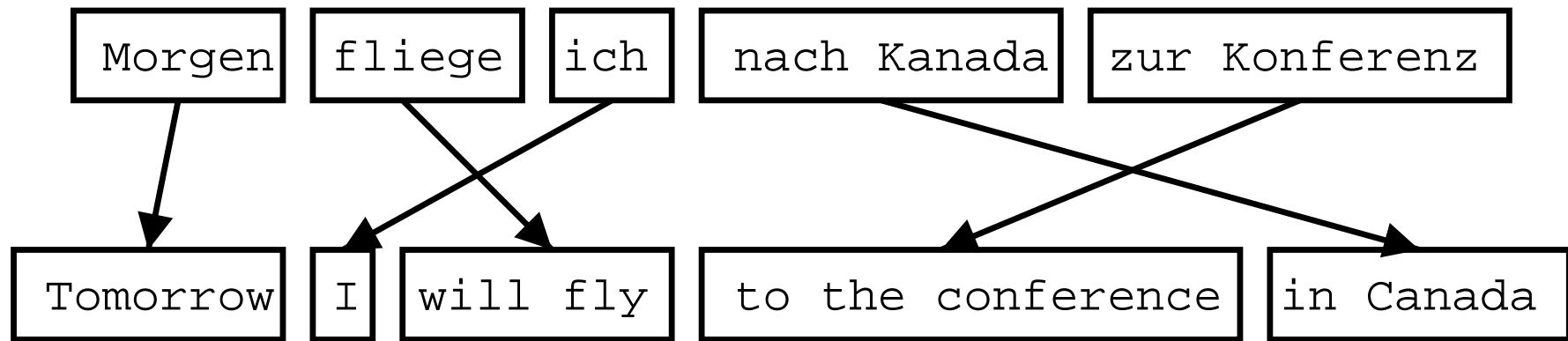
GROW-DIAG():

```
iterate until no new points added
for english word  $e = 0 \dots en$ 
  for foreign word  $f = 0 \dots fn$ 
    if (  $e$  aligned with  $f$  )
      for each neighboring point (  $e-new, f-new$  ):
        if ( (  $e-new$  not aligned and  $f-new$  not aligned ) and
            (  $e-new, f-new$  ) in union(  $e2f, f2e$  ) )
          add alignment point (  $e-new, f-new$  )
```

FINAL(a):

```
for english word  $e-new = 0 \dots en$ 
  for foreign word  $f-new = 0 \dots fn$ 
    if ( (  $e-new$  not aligned or  $f-new$  not aligned ) and
        (  $e-new, f-new$  ) in alignment  $a$  )
      add alignment point (  $e-new, f-new$  )
```

Phrase-based translation



- Foreign input is segmented in phrases
 - any sequence of words, not necessarily linguistically motivated
- Each phrase is translated into English
- Phrases are reordered

Phrase-based translation model

- Major components of phrase-based model

- **phrase translation model** $\phi(\mathbf{f}|\mathbf{e})$

- **reordering model** $\omega^{\text{length}(\mathbf{e})}$

- **language model** $p_{\text{LM}}(\mathbf{e})$

- Bayes rule

$$\begin{aligned} \text{argmax}_{\mathbf{e}} p(\mathbf{e}|\mathbf{f}) &= \text{argmax}_{\mathbf{e}} p(\mathbf{f}|\mathbf{e})p(\mathbf{e}) \\ &= \text{argmax}_{\mathbf{e}} \phi(\mathbf{f}|\mathbf{e})p_{\text{LM}}(\mathbf{e})\omega^{\text{length}(\mathbf{e})} \end{aligned}$$

- Sentence \mathbf{f} is decomposed into I phrases $\bar{f}_1^I = \bar{f}_1, \dots, \bar{f}_I$

- Decomposition of $\phi(\mathbf{f}|\mathbf{e})$

$$\phi(\bar{f}_1^I | \bar{e}_1^I) = \prod_{i=1}^I \phi(\bar{f}_i | \bar{e}_i) d(a_i - b_{i-1})$$

Advantages of phrase-based translation

- *Many-to-many* translation can handle non-compositional phrases
- Use of *local context* in translation
- The more data, the *longer phrases* can be learned

Phrase translation table

- Phrase translations for *den Vorschlag*

English	$\phi(e f)$	English	$\phi(e f)$
the proposal	0.6227	the suggestions	0.0114
's proposal	0.1068	the proposed	0.0114
a proposal	0.0341	the motion	0.0091
the idea	0.0250	the idea of	0.0091
this proposal	0.0227	the proposal ,	0.0068
proposal	0.0205	its proposal	0.0068
of the proposal	0.0159	it	0.0068
the proposals	0.0159

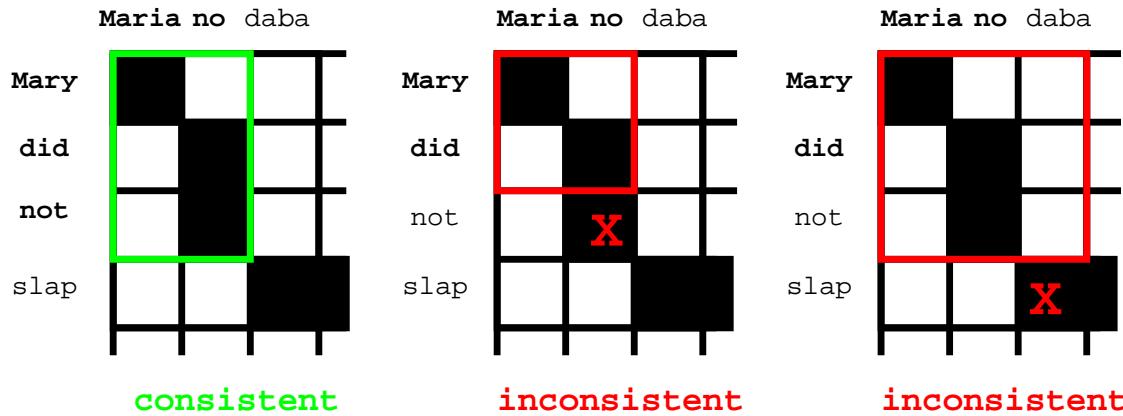
How to learn the phrase translation table?

- Start with the *word alignment*:

		bofetada	a	bruja			
Maria		no	daba	una	a	la	verde
Mary							
did							
not							
slap							
the							
green							
witch							

- Collect all phrase pairs that are **consistent** with the word alignment

Consistent with word alignment



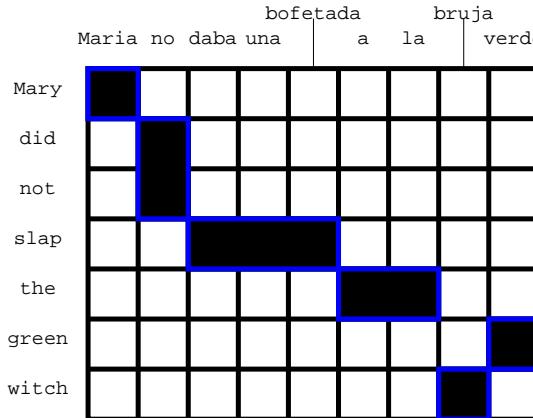
- **Consistent with the word alignment** :=

phrase alignment has to *contain all alignment points* for all covered words

$$(\bar{e}, \bar{f}) \in BP \Leftrightarrow \quad \forall e_i \in \bar{e} : (e_i, f_j) \in A \rightarrow f_j \in \bar{f}$$

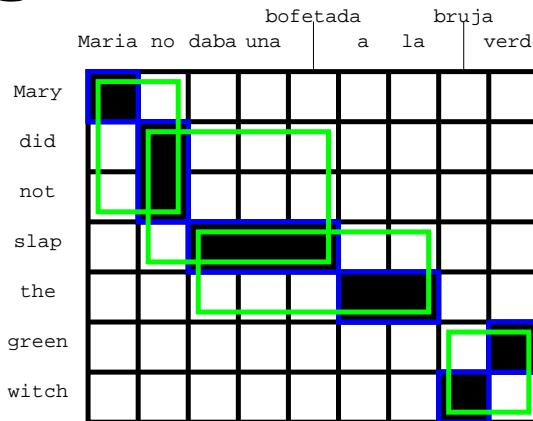
$$\text{AND } \forall f_j \in \bar{f} : (e_i, f_j) \in A \rightarrow e_i \in \bar{e}$$

Word alignment induced phrases



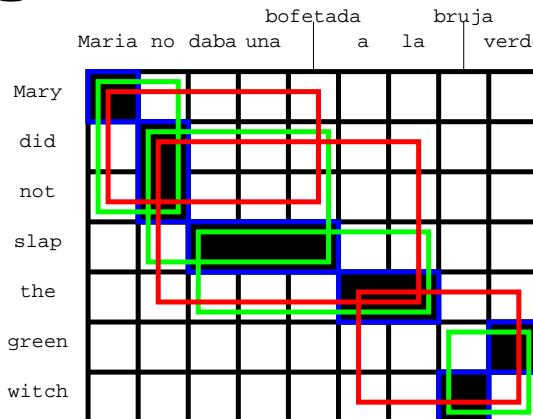
(Maria, Mary), (no, did not), (slap, daba una bofetada), (a la, the), (bruja, witch), (verde, green)

Word alignment induced phrases



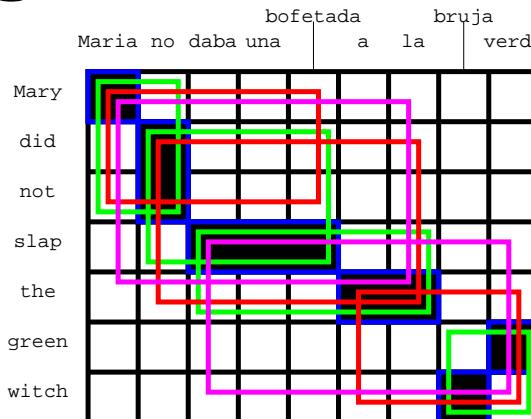
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Word alignment induced phrases



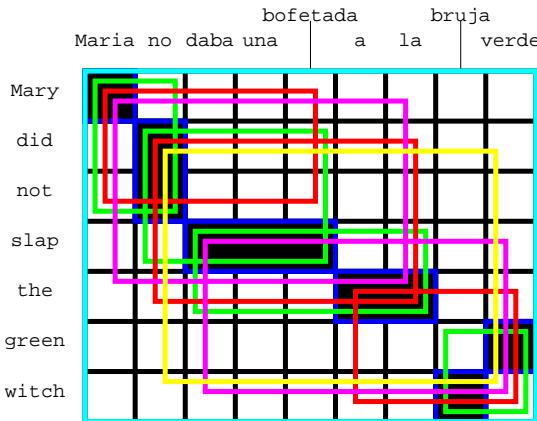
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 (bruja verde, green witch), (Maria no daba una bofetada, Mary did not slap),
 (no daba una bofetada a la, did not slap the), (a la bruja verde, the green witch)

Word alignment induced phrases



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 (Maria no daba una bofetada a la, Mary did not slap the),
 (daba una bofetada a la bruja verde, slap the green witch)

Word alignment induced phrases (5)



(Maria, Mary), (no, did not), (slap, daba una bofetada), (a la, the), (bruja, witch), (verde, green),
 (Maria no, Mary did not), (no daba una bofetada, did not slap), (daba una bofetada a la, slap the),
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 (no daba una bofetada a la, did not slap the), (a la bruja verde, the green witch),
 (Maria no daba una bofetada a la, Mary did not slap the), (daba una bofetada a la bruja verde,
 slap the green witch), (no daba una bofetada a la bruja verde, did not slap the green witch),
 (Maria no daba una bofetada a la bruja verde, Mary did not slap the green witch)

Probability distribution of phrase pairs

- We need a **probability distribution** $\phi(\bar{f}|\bar{e})$ over the collected phrase pairs

⇒ Possible *choices*

- *relative frequency* of collected phrases: $\phi(\bar{f}|\bar{e}) = \frac{\text{count}(\bar{f}, \bar{e})}{\sum_{\bar{f}} \text{count}(\bar{f}, \bar{e})}$
- or, conversely $\phi(\bar{e}|\bar{f})$
- use *lexical translation probabilities*